

Rearrange the cards to explain how to find what fraction of the total area is shaded.

<p>The area of $\triangle DMC = 2$ sq units. The area of $\triangle DFC = 1$ sq unit.</p>	A
<p>$\triangle EHF$ is right-angled so we have $(EH)^2 + (HF)^2 = (EF)^2$</p>	B
<p>The areas of $\triangle DFE$, $\triangle CFG$ and the shaded area $MEFG$ are equal, and the total area of them is 1, so each must have an area of $\frac{1}{3}$ sq units.</p>	C
<p>Area of $\triangle MEF = \frac{1}{2}(1 \times EH) = \frac{1}{2}\left(\frac{EF}{\sqrt{2}}\right)$</p>	D
<p>By Pythagoras, DF has length $\sqrt{2}$.</p>	E
<p>The total area of the square is 4 sq units, so the shaded area is $\frac{1}{12}$ the area of the whole square.</p>	F
<p>Area of $\triangle DFE = \frac{DF \times EF}{2} = \frac{\sqrt{2} \times EF}{2} = \frac{EF}{\sqrt{2}}$ sq units</p>	G
<p>So the shaded area $MEFG$ is equal to the area of $\triangle DFE$</p>	H
<p>Assume that the sides of the square are each 2 units long. Thus, DJ and FJ are each 1 unit long.</p>	I
<p>The area of the arrowhead $MDFC$ is equal to the difference between the areas of $\triangle DMC$ and $\triangle DFC$; therefore this area is 1 sq unit.</p>	J
<p>By symmetry, area of $\triangle CFG$ is the same as the area of $\triangle DFE$</p>	K
<p>$EH = HF \Rightarrow 2(EH)^2 = (EF)^2$ therefore $EH = \frac{EF}{\sqrt{2}}$</p>	L
<p>Area of $MEFG$ is twice the area of $\triangle MEF$, therefore area $MEFG = \frac{EF}{\sqrt{2}}$</p>	M

