Can you prove that there is only one set of three consecutive odd numbers which are all prime?

Below is a proof that has been scrambled up. Can you cut up the statements and rearrange them into their original order?

| The first number can be written as either $3 x, 3 x+1$, or $3 x+2$ <br> (where $x$ is an integer) | A |
| :--- | :--- |
| Consider a set of three consecutive odd numbers, where the first <br> number is greater than 3 | B |
| All whole numbers (integers) are either multiples of three, one more <br> than a multiple of three, or two more than a multiple of three | C |
| If the first number is $3 x+1$, the second number will be <br> $3 x+3=3(x+1)$, a multiple of 3, so not prime | D |
| Therefore, irrespective of which odd number greater than 3 we start <br> with, one of the numbers in our set of three consecutive odd <br> numbers will not be prime | E |
| If the first number is $3 x+2$, the third number will be <br> $3 x+6=3(x+2)$, a multiple of 3, so not prime | F |
| If the first number is $3 x$, then it cannot be prime, as it must be <br> greater than 3 | G |

