When the dots on square dotty paper are joined by straight lines the enclosed figures have dots on their perimeter (p) and often internal (i) ones as well.

Figures can be described in this way: $(\mathrm{p}, \mathrm{i})$.
For example, the red square has a ( $\mathrm{p}, \mathrm{i}$ ) of $(4,0)$, the grey triangle $(3,1)$, the green triangle $(5,0)$ and the blue hexagon $(6,4)$ :


Each figure you produce will always enclose an area (A) of the square dotty paper.

The examples in the diagram above have areas of $1,1 \frac{1}{2}$, and 6 square units.

Check that you agree.
Draw more figures and keep a record of their perimeter points (p), interior points (i) and areas (A).

Can you find a relationship between these three variables?

