

I thought that the 1<sup>st</sup> child will end up with the most money as the 1<sup>st</sup> child will receive  $\frac{1}{6}$  of highest possible amount of the remaining money

When I worked it out:

Starting -£25

£1 &  $\frac{1}{6}$  of £24 = £5

£20 left

£2 &  $\frac{1}{6}$  of £18 = £5

£15 left

£3 &  $\frac{1}{6}$  of £12 = £5

**I'm surprised that the children receives the same amount of money**

Mrs Hobson has shared out £16 between 4 children and each child has received £4

Because if there are 4 children each will receive £4; and if there are 4 children the money that is shared out will be a square of 4 (as there are 4 children)

The mother will share out £64 as there are 8 children and the fraction that she will use is  $\frac{1}{9}$  in order to share the money equally.

I realised that there was a connection between the number of children and the fraction that is used to share out; so if there are  $n$  children the fraction will be

$\frac{1}{n+1}$ . E.g. for 5 children the fraction will be  $\frac{1}{5+1} = \frac{1}{6}$

When looking at the 3 problems I perceived that if there are  $n$  numbers of children, the money that you share out will be  $\pounds n^2$

One thing that I have realised is that if there are  $n$  children; each child will get  $\pounds n$

So here is an algebraic expression that I have created to work out how much money each child will get if there are  $n$  children:

$$\pounds 1 + (\pounds n^2 - \pounds 1/n+1) = n$$

$$\pounds 2 + (\pounds n^2 - \pounds n - \pounds 2/n+1) = n$$

$$\pounds 3 + (\pounds n^2 - \pounds 2n - \pounds 3/n+1) = n$$

$$\pounds 4 + (\pounds n^2 - \pounds 3n - \pounds 4/n+1) = n$$

Therefore if you substitute any numbers into  $n$  and work through this expression you will know that the **number of  $n$  children = number of  $\pounds n$  they receive**

If you substitute any numbers into  $n$  this method will always work out