Can you prove Pythagoras' Theorem?
Here is a diagram and a proof that has been scrambled up.
Can you rearrange it into its original order?


| Along each side of the large square there is a point where an angle of the <br> enclosed quadrilateral, an angle $x$ and an angle $y$ meet | A |
| :--- | :--- |
| Therefore the enclosed quadrilateral is a square | B |
| Take a square with side lengths $a+b$, divided up into four identical right-angled <br> triangles and an enclosed quadrilateral of sides $c$ | C |
| The area of the four right-angled triangles $=4 \times \frac{1}{2} a b=2 a b$ | D |
| Area of enclosed square $=a^{2}+2 a b+b^{2}-2 a b=a^{2}+b^{2}$ | E |
| The area of the large square $=(a+b)^{2}=a^{2}+2 a b+b^{2}$ | F |
| These three angles add up to $180^{\circ}$, therefore each angle of the enclosed <br> quadrilateral is a right angle | H |
| The angles of the triangles $x$ and $y$ add up to $90^{\circ}$ | I |
| The area of the enclosed square $=$ |  |
| area of the large square - area of four triangles | J |
| The area of the enclosed square is also given by $c^{2}$, therefore $a^{2}+b^{2}=c^{2}$ | K |
| Therefore, in any right-angled triangle, the area of the square on the hypotenuse |  |
| equals the sum of the areas of the squares on the other two sides |  |

